

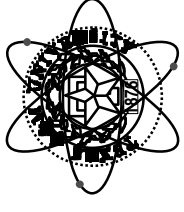
# **Overview of TAMU ASCI Project**

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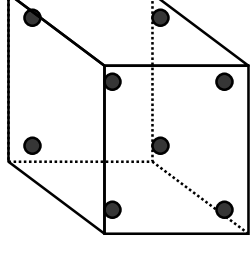
**Parallel- $S_N$  Workshop #3**  
**May 1-2, 2001**  
**Texas A&M University**

# The ASCI program needs efficient massively parallel particle transport.

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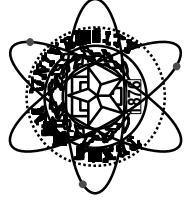
- **Accelerated Strategic Computing Initiative:**
  - ⇒ *if you can't test, you must compute!*
  - ⇒ *focus: 3D multi-physics simulations*
- **ASCI-scale 3D multi-physics:**
  - ⇒ *centuries of CPU time*
  - ⇒ *Terabytes of RAM*
  - ⇒ *not possible without efficient use of massively parallel computers!*
- **Particle transport dominates CPU and memory**
- **“Efficient use” means more than scaling**
  - ⇒ *easy parallel algorithms may take forever to converge*
  - ⇒ *beware of poor single-CPU performance*
  - ⇒ *need combination of iterative convergence, single-CPU performance (cache), and parallel scaling*



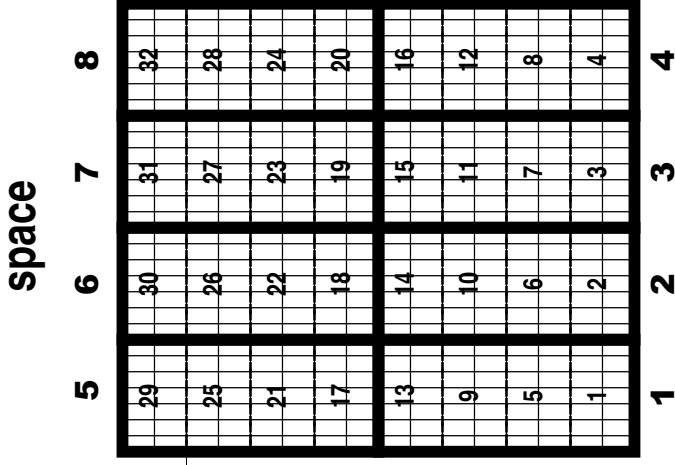
Angular intensity:  
8 corners  
x 50 energy groups  
x 300 directions  
= 120,000 unknowns  
**per cell per timestep**

# We believe we have found a powerful approach to parallel transport.

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- We try to “sweep” as much as is practical.
  - ⇒ *KBA showed the way; we try to go a bit farther*
  - ⇒ *On arbitrary grids we use same philosophy*
  - ⇒ *Implementation includes continuum from sweeps to block-Jacobi*
- Our approach:
  - ⇒ *find and break cycles in grid; create DAG’s*
  - ⇒ *“schedule” the problem*
    - choose spatial sub-domains; choose “cell-sets” in each
    - organize energy groups into “group-sets” and directions into “angle-sets”
    - for each angle-set, order the cell-sets and the cells within cell-sets
  - ⇒ *for each group-set:*
    - set source for in-scattering from other group-sets
    - For each within-group-set scattering iteration:
      - *get total source*
      - *execute in parallel all (angle-set, cell-set) pairs in this group-set (KBA-ish)*
      - *execute in parallel the acceleration step (TSA)*
      - *test for convergence of within-group-set scattering iteration*
    - test for convergence of group-set – to – group-set scattering

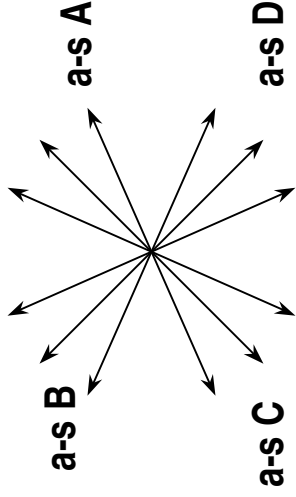


□ cell

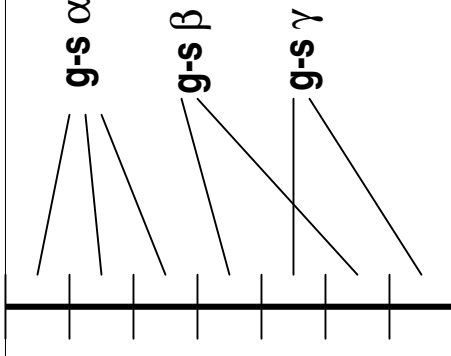
cell-set  
(spatial portion of a  
“chunk” of work)

cells assigned to  
one processor  
(sub-domain)

direction  
(or “angle”)



energy



Example problem:

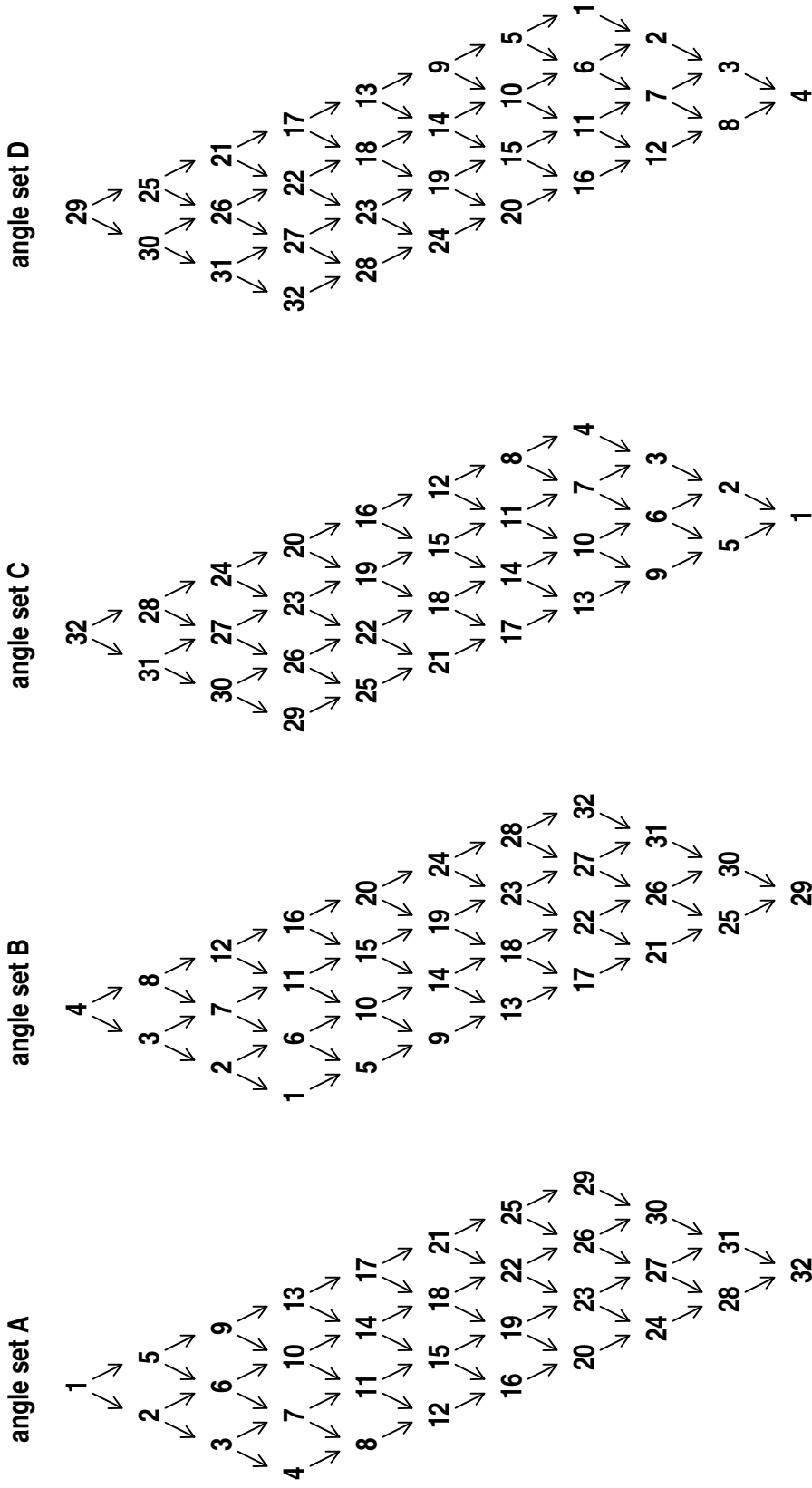
2 spatial dimensions, 8 processors,  $8 \times 4 = 32$  cell-sets,  
 $8 \times 4 \times 14 = 448$  cells,

12 angles, 4 angle-sets,

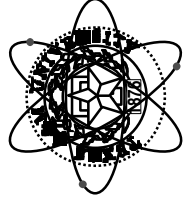
7 energy groups, 3 group-sets, same directions and angle-sets  
for each group-set.

See next page for execution order.

For each group-set, we have the following DAGs, one for each of the four angle-sets. Each node in each DAG is a cell-set and is so numbered. Cell-set COLORS correspond to processors – there are 8 different colors used for the 8 different processors.



# This approach keeps processors busy with useful work during a pure sweep.

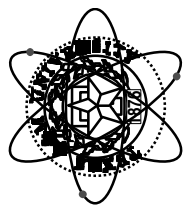


- 16 units of work take 17 steps (93%)
- 7 cells/cell-set changes this to 32/33 (97%)
- 1 angle/angle-set changes it to 48/49 (98%) or 96/97 (99%)

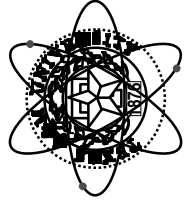
| "step" | processor |        |        |        |        |        |        |        |
|--------|-----------|--------|--------|--------|--------|--------|--------|--------|
|        | 1         | 2      | 3      | 4      | 5      | 6      | 7      | 8      |
| 1      | (A,1)     |        |        | (B,4)  | (D,29) |        |        | (C,32) |
| 2      | (A,5)     | (A,2)  | (B,3)  | (B,8)  | (D,25) | (D,30) | (C,31) | (C,28) |
| 3      | (A,9)     | (B,2)  | (A,3)  | (B,12) | (D,21) | (C,30) | (D,31) | (C,24) |
| 4      | (A,13)    | (1,6)  | (B,7)  | (B,16) | (D,17) | (D,26) | (C,27) | (C,20) |
| 5      | (B,1)     | (B,6)  | (A,7)  | (A,4)  | (C,29) | (C,26) | (D,27) | (D,32) |
| 6      | (B,5)     | (A,10) | (B,11) | (A,8)  | (C,25) | (D,22) | (C,23) | (D,28) |
| 7      | (D,13)    | (B,10) | (A,11) | (C,16) | (A,17) | (C,22) | (D,23) | (B,20) |
| 8      | (D,9)     | (A,14) | (B,15) | (C,12) | (A,21) | (D,18) | (C,19) | (B,24) |
| 9      | (B,9)     | (B,14) | (A,15) | (A,12) | (C,21) | (C,18) | (D,19) | (D,24) |
| 10     | (D,5)     | (D,14) | (C,15) | (C,8)  | (A,25) | (A,18) | (B,19) | (B,28) |
| 11     | (B,13)    | (C,14) | (D,15) | (A,16) | (C,17) | (B,18) | (A,19) | (D,20) |
| 12     | (D,1)     | (D,10) | (C,11) | (C,4)  | (A,29) | (A,22) | (B,23) | (B,32) |
| 13     | (C,13)    | (C,10) | (D,11) | (D,16) | (B,17) | (B,22) | (A,23) | (A,20) |
| 14     | (C,9)     | (D,6)  | (C,7)  | (D,12) | (B,21) | (A,26) | (B,27) | (A,24) |
| 15     | (C,5)     | (C,6)  | (D,7)  | (D,8)  | (B,25) | (B,26) | (A,27) | (A,28) |
| 16     | (C,1)     | (D,2)  | (C,3)  | (D,4)  | (B,29) | (A,30) | (B,31) | (A,32) |
| 17     |           | (C,4)  | (D,3)  |        |        | (B,30) | (A,31) |        |

# Our approach and flexible implementation allows optimization on many fronts.

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- **Work is done in units of “chunks”**  
 $chunk(i,j,k) = group\text{-}set\ i \times angle\text{-}set\ j \times cell\text{-}set\ k.$
- **We execute the work for one “chunk” as follows:**
  - loop over cells in cell-set (in order specified by scheduler)
  - loop over angles in angle-set
  - loop over groups in group-set
- **Tradeoffs:**
  - *larger cell-sets  $\Rightarrow$  more work per communication (fewer messages)*
  - *smaller cell-sets  $\Rightarrow$  faster pipe fill*
  - *more groups per group-set  $\Rightarrow$  better cache re-use, less indirection*
  - *fewer groups per group-set  $\Rightarrow$  fewer iterations? (prob-dependent)*
  - *more angles per angle-set  $\Rightarrow$  better cache re-use, less indirection*
  - *fewer angles per angle-set  $\Rightarrow$  truer sweeps, faster pipe fill*
- **Code structure allows:**
  - $\Rightarrow$  *1 to  $N_{groups}$  groups per group-set*
  - $\Rightarrow$  *1 to  $N_{octant}$  angles per angle-set.*
  - $\Rightarrow$  *great flexibility in cells per cell-set*
- **Optimum combination depends on architecture and physics.**



# The code structure is quite flexible.

